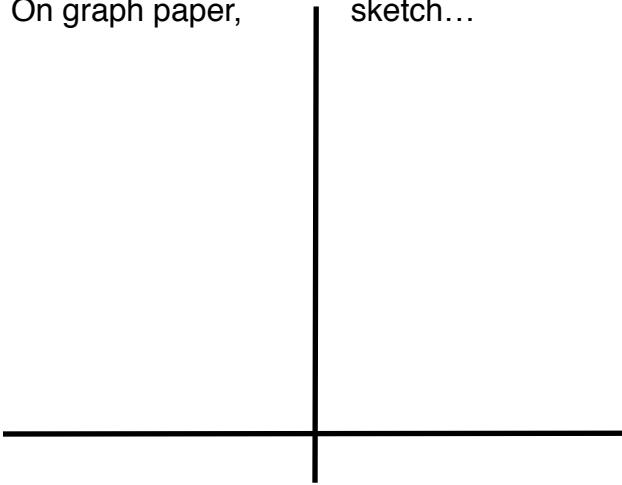


## UNIT 5: EXPONENTIAL AND LOGARITHMIC FUNCTIONS

### DAY 1: Exponential Functions

Defines an exponential function with a base “a” where  $a > 0$ , and  $a \in \mathbb{R}$ .  
- An exponential function is one in which the variable is in the exponent.  
- i.e.

On graph paper, sketch... using a table of values.



Properties:

1. Domain:
2. Range:
3. Fxn:
4. X-intercepts:  
Y-intercepts:
5. Increasing/Decreasing Direction:
6. Continuous:

Now on the same axis, sketch....

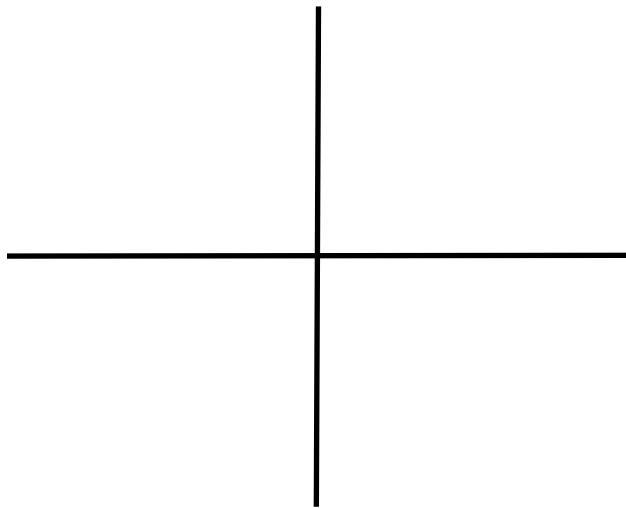
What do you notice?

In general:

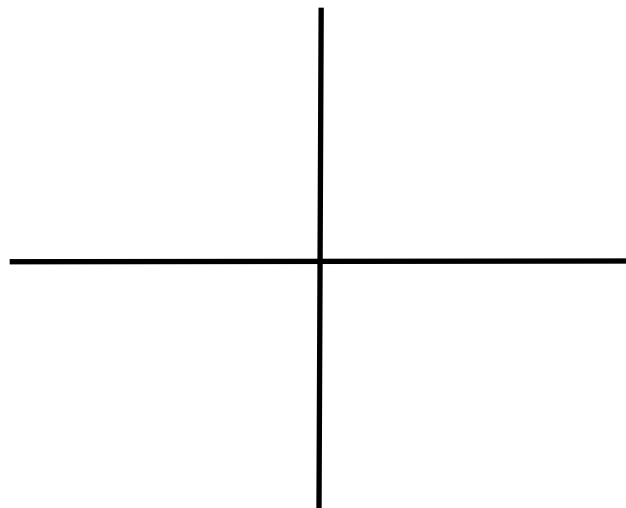
Negative values for  $\log_b(x)$  is undefined for certain values of  $x$ .

## DAY 2: Logarithmic Functions

The logarithmic function is the inverse of the exponential function.



Recall: To obtain the inverse, reflect on the  $y = x$  line.



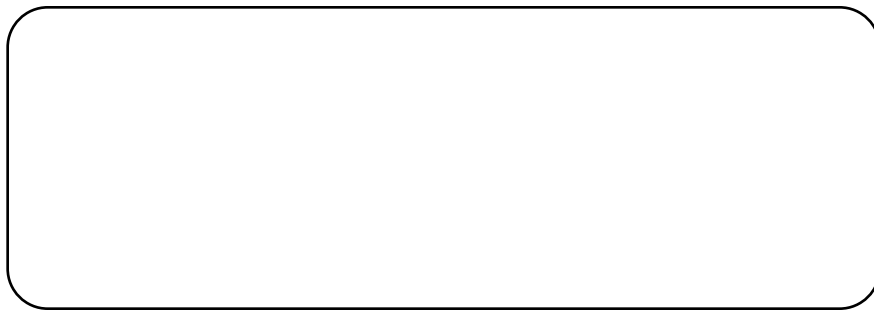
Exponential function:

Inverse function (log) - switch x and y:

- Now isolate "y". The only way to express this as  $y = \underline{\quad}$  is to use **logs**.

"log of x to the base of a"

This means the exponent of x when expressed as a power of a, is y.



**Ex. 1)** Express as a log.

1.

2.

3.

Express as exponents:

1.

2.

3.

**Trick for evaluating:**

When you have the same bases in both places (base and anti-log), the answer is the exponent.

**Ex. 2) Evaluate.**

A)

b)

c)

d)

**Ex. 3) Evaluate by changing to exponential notation (equation method). Solve for x or y.**

A)

b)

c)

D)

e)

f)

**G)**

**HOMEWORK:** pg. 338 #4,6,7